

## GANPAT UNIVERSITY

B.Tech. Semester -V (BM&amp;I), Regular Examination NOV-DEC 2010.

BME 505: BIOLOGICAL DIGITAL SIGNAL PROCESSING

Time:- 3 Hours

Marks:- 70

Instructions:

1. Answer to the questions must be written in separate answer books.
2. Figure to the right indicate marks.
3. Conventional terms / notations are used.
4. All the questions are compulsory.

## SECTION-I

Q-1

[12]

- (a) Obtain co-efficient of FIR High pass filter to meet the following specifications given below the window:

Pass band edge frequency: 1.8 KHz	Stop band attenuation	: >45 dB
Stop band edge frequency: 2.2 KHz	Sampling rate	: 0.125msec.

- (b) By using Kaiser window, Obtain requirements for given High Pass filter specification:

Stop band attenuation	: 42 dB	Cut-off frequency	: 1250Hz
Pass band attenuation	: 0.02 dB	Sampling frequency	: 8 KHz
Transition width	: 500 Hz		

- (c) Derive Impulse response of an ideal Low Pass filter.

OR

Q-1

[12]

- (a) Design a IIR High pass filter is to be designed to meet the following specifications:

Pass band edge frequency	: 0.27(normalized)	Stop band deviation	: 0.001
Transition width	: 0.04(normalized)	Pass band deviation	: 0.05

i) Sketch tolerance scheme for filter.

ii) Express the filter band edge frequencies in standard unit of KHz,  $F_s=10$  KHz and stop band & pass band attenuation.

- (b) Find out  $Y(n)=x(n)*h(n)$ ,  $h(n)=\{1, 2, 3\}$ ,  $x(n) = \{-1, 2, 0, 2\}$  by mathematical method.

- (c) Show that if symmetry condition  $h(n)=h(N-n-1)$ , for  $N=8$ , then the filter has linear phase response.

Q-2

[12]

- (a) Define LTI system. & derive equation for Convolution Sum.

- (b) Find particular solution for difference equation :

$y(n) + 0.6y(n-1) = x(n)$ , Where  $x(n) = u(n)$ .

- (c) Perform cross correlation of  $Y(n) = \{-2, 4, -1, 0, 1\}$  &  $X(n) = \{1, -2, 4, -1, 2\}$ .

OR

Q-2

[12]

- (a) The analog signal is given  $x(t) = 7\cos 250\pi t + 3\sin 600\pi t$ . Calculate:

1. Nyquist Sampling rate?

2. If the given  $x(t)$  is sampled at the rate  $f_s = 500$ Hz. What is the discrete time signal obtained after sampling?

3. What is analog signal  $y(t)$  we can reconstruct from the samples if ideal interpolation method is used.

- (b) Perform convolution of  $h(n) = \{2, 3, 0, 1\}$  &  $x(n) = \{1, -2, 3\}$  by graphical method.

- (c) Discuss Sampling Theorem & Aliasing effect in detail.

Q-3

[11]

- (a) Obtain co-efficient of IIR Band stop filter using BZT method:

Where,  $H(s) = 1/(s^2 + \sqrt{4}s + 3)$   
 Pass band : 185-235 Hz  
 Sampling rate : 0.145msec.

- (b) Using Pole-Zero placement method to calculate co-efficient of narrow band pass filter.

Obtain the transfer function of a filter.

- A narrow pass band centered at: 145Hz
- A complete rejection at dc & 290 Hz
- A 3dB width of notch : 14Hz
- Sampling frequency : 650 Hz

## SECTION-II

Q-4

- (a) Give all the applications of DSP. Explain advantages of DSP over ASP. [06]  
 (b) Explain characteristics of continuous time signal and discrete time signal. [06]

OR

Q-4

- (a) Explain following operations upon signal. [06]  
 1. Time delay & time advance  
 2. Folding-shifting  
 3. Time scaling
- (b) Determine whether the following system are : [06]  
 (i) Linear or non linear (ii) Time variant or invariant  
 And also give reason.  
 1.  $y(n) = 8 \sin(x[n])$   
 2.  $y(n) = n x[n-5]$   
 3.  $y(n) = 6n x^2[n]$

Q-5

- (a) Plot magnitude and phase spectrum of the sampled data sequence  $\{2, 0, 0, 1\}$  which was obtained using a sampling frequency of 20KHz,  $N = 4$ . Use DFT formula. [06]  
 (b) Explain spectrum leakage. [02]  
 (c) Find IDFT of given sequence  $x[k] = \{6, -1-j, 0, -1+j\}$ . Using DIT FFT algorithm. [04]

OR

Q-5

- (a) Determine circular convolution of input  $x(n) = \{1, 3, 5, 3\}$  and  $h(n) = \{2, 3, 1, 1\}$ . Use DFT method. [08]  
 (b) Calculate IDFT of  $x(k) = \{3, 2+j, 1, 2-j\}$ . Use DIF FFT algorithm. [04]

Q-6

- (a) Explain following properties of Z-transform [06]  
 1. Time shifting  
 2. Differentiation in Z domain(multiplication by 'n')  
 3. Division by 'n'
- (b) Determine IZT for  $x[z] = z / (3z^2 - 4z + 1)$ ,  $\text{ROC } |z| > 1$  [05]

END OF PAPER